

# Assessment of Residual Working Life for Existing Bridges

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Introduction

Reliability verification of bridges

Verification of crack width

Reliability analysis

Concluding remarks

## Introduction

Extended exploitation of existing structures including bridges

- provide social, economical and also cultural advantages
- help to preserve values of historical character

### Prescriptive documents

ČSN EN 1990 Basis of design

ČSN ISO 13822 Assessment of existing structures

TP 224 Verification of existing road concrete bridges

## Different criteria for existing and new structures

Criteria	Existing structures	New structures
Economical	incremental cost of increasing the structural safety is commonly high	incremental cost of increasing the structural safety is commonly lower
Social	may be significant due to reduction or disruption of serviceability and preservation of heritage values	commonly less significant than for existing structures
Sustainability	in large measure existing materials are used, leading to reduction of waste and recycling	commonly new materials are applied

## Classification of design criteria

Remaining working life (in years)	Post-tensioned bridges with tendons		Reinforced bridges
	bonded	non-bonded	
50	0,2 mm	0,2 mm	0,3 mm
25	0,2 mm	0,3 mm	0,4 mm
10	0,3 mm	0,4 mm	0,5 mm

# Verification of crack width

Serviceability condition  $w_k(x_k) \leq w_{lim}$

$$w_k = s_{r,max} (\epsilon_{sm} - \epsilon_{cm}) = 1,7 s_{r,m} (\epsilon_{sm} - \epsilon_{cm})$$

$$s_{r,m} = kc + 0,25k_1k_2d/\rho_{p,eff} \quad \epsilon_{sm} - \epsilon_{cm} = \frac{\sigma_s - (1 + \alpha_e \rho_{p,eff})k_t \frac{f_{ct,eff}}{\rho_{p,eff}}}{E_s}$$

mean crack spacing

mean strain

# Reliability analysis of bridge

The probability  $P_F$  of a random crack width exceeding the crack width limit  $w_{lim}$

$$P_F(X, t) = P\{\xi_{lim} w_{lim} - \xi_w w(X, t) < 0\}$$

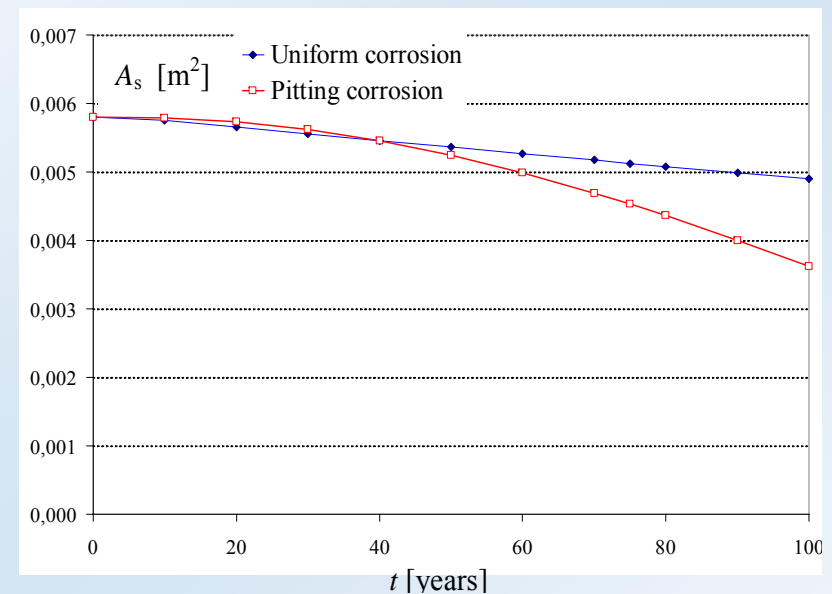
where the following condition should be satisfied

$$P_F(X, t) \leq P_t$$

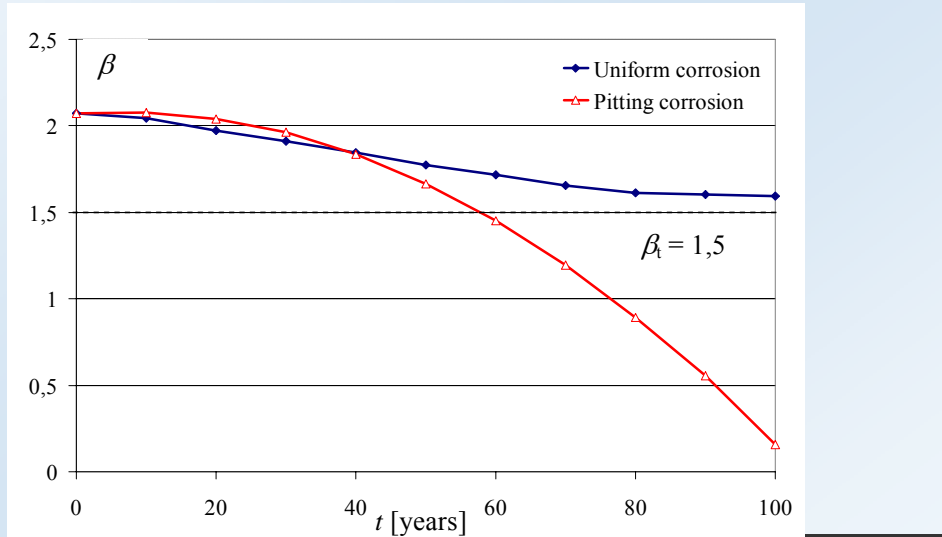
# Probabilistic models

Basic variable	Symbol	Distr.	Mean $\mu$	St. dev. $\sigma$
Concrete tensile strength	$f_{ct}$	LN	3,5	0,7
Modulus of elasticity for steel	$E_s$	DET	200000	-
Concrete modulus of elasticity	$E_c$	LN	35000	3500
Creep coefficient	$\varphi$	LN	1,46	0,4
Coefficient of bond strength	$k_1$	LN	0,8	0,21
Coefficient for cover	$k$	LN	2	0,5
Length of span	$L$	DET	15	-
Diameter of bar	$d$	DET	0,028	-
Cross-section height	$h$	DET	0,9	-
Surfacing thickness	$h_1$	LN	0,1	0,01
Reinforcement cover	$c$	BET*	0,04	0,01
Crack width model uncertainty	$\xi_w$	LN	1,0	0,15 $\mu$
Crack width limit uncertainty	$\xi_{lim}$	LN	1,0	0,1 $\mu$
Density of concrete	$\rho$	N	2500	0,08 $\mu$
Tandem system (TS)	$Q$	GUM	500	58
UDL system	$q$	GUM	20	0,2

# Assessment of existing bridge



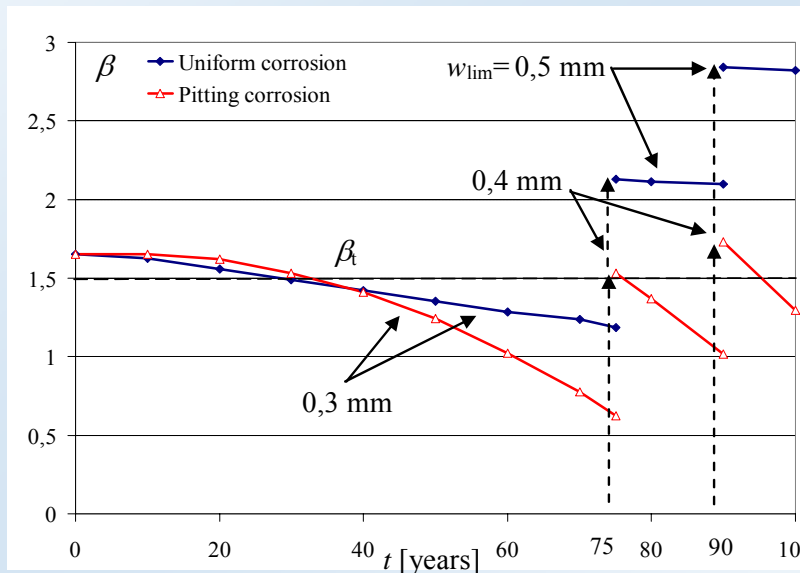
# Reliability index for uniform and pitting corrosion versus time $t$



# CONCLUDING REMARKS

1. The uniform corrosion leads to a smaller reduction of reinforcement area, and to higher reliability indices than the pitting corrosion.
2. The results of probabilistic analysis of a selected deteriorating bridge indicate that the reliability after about half of the working life (50 years) may be rather low ( $\beta < 1,3$ ).
3. It appears that the type of corrosion (uniform, pitting) and potential consequences of failure should be taken into account in the recommendations for the crack width limits given in the current prescriptive documents.

# Reliability level of a deteriorating bridge for recommended crack width limits





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*Thank you for your attention*